# CONCEPTUAL DESIGN \& TAKE-OFF WEIGHT ESTIMATION OF ATTACK FIGHTER AIRCRAFT 

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#### Abstract

Aircraft design includes three important phases; conceptual design, preliminary design \& detail design. This paper deals with the conceptual design \& a part of preliminary design (maximum take-off weight estimation) of an attack fighter aircraft. Conceptual design includes the initial configurations of the aircraft from recent trends \& historical observations. Preliminary design phase includes calculation of maximum take-off weight, wing loading \& engine thrust for the aircraft. In this paper conceptual design \& the calculation of maximum take-off weight are done. In case of calculating maximum take-off weight, weight loss due to bomb drop is considered which is absent in general aircrafts.


Keywords: Conceptual design, Preliminary design, Aircraft design

## 1. INTRODUCTION

Attack fighter aircraft design varies from normal aircraft designing. The purpose \& mission profile of the fighter aircraft is quite different from that of the normal transport, commercial or trainer aircraft. It includes weight drop, more controllability than stability due to its basic purpose \& complex the mission profile. Conceptual design provides the very basic considerations for the aircraft design. Preliminary design includes calculation of maximum take-off weight and engine thrust. In this paper, we completed the conceptual design and calculation of maximum take-off weight for given mission profile. Conceptual designing was done by considering both historical data and recent trends. In case of calculating maximum take-off weight, we had to consider the attack segments where weight loss occurred due to bomb drop. Our task was to design an attack fighter aircraft for the following conditions:

Table 1: Mission requirements

| Parameters | Minimum <br> Requirements |
| :---: | :---: |
| Range | $1150 \mathrm{~km} \mathrm{Or}, 620$ <br> nm |
| Maximum Mach No. | .62 |
| Ceiling | 42000 ft |
| Payload | 15000 |
| Load Factor | +9 |
|  | -3 |
| Crew | 1 |

Mission profile for this is given below:


Fig.1: Mission profile

## 2. CONCEPTUAL DESIGN

Figure of merit analysis was used to find the appropriate configuration.
WOM means Weight of merit. Better option was marked by a higher value. This value ranges from 5 to 10 .

### 2.1 Selection of Wing Type

Table 2: Selection of wing

| Option |  | Mono-pl <br> ane |  | Bi-pl <br> ane |
| :--- | :---: | :---: | :---: | :---: |
| WOM <br> $(\%)$ | Delta <br> wing |  |  |  |
| Weight | 30 | 8 | 6 | 7 |
| Aerodynamic <br> s | 30 | 7 | 8 | 6 |
|  <br> Stability | 20 | 7 | 5 | 6 |
| Manufacturab <br> ility | 20 | 9 | 8 | 7 |
| Total | 100 | 770 | 700 | 650 |

(Sample calculation: for monoplane, total value $=30 * 8+30 * 7+20 * 7+20 * 9=770$ )

### 2.2 Selection of Tail Type

Table 3: Selection of tail

| Option |  | Inverse | V <br> Tail | H tail |
| :--- | :---: | :---: | :---: | :---: |
| Criteria | WOM <br> $(\%)$ | tail | teight | 30 |
| 6 | 7 | 7 |  |  |
| Weigh | 6 | 7 | 8 |  |
| Aerodynamic <br> s | 30 | 8 | 6 | 7 |
|  <br> Stability | 20 | 8 | 7 | 7 |
| Manufacturab <br> ility | 20 | 7 | 720 | 680 |
| Total | 100 | 730 |  |  |

### 2.3 Selection of Landing Gear Type

Table 4: Selection of landing gear

| Option |  | Quad-cy <br> cle | Tri-c <br> ycle <br> Criteria <br> $(\%)$ | Conv <br> entio <br> nal |
| :--- | :---: | :---: | :---: | :---: |
| Weight | 30 | 8 | 9 | 8 |
| Aerodynamic <br> s | 30 | 7 | 8 | 9 |
|  <br> Stability | 20 | 8 | 9 | 7 |
| Manufacturab <br> ility | 20 | 7 | 8 | 8 |
| Total | 100 | 750 | 850 | 810 |

### 2.4 Selection of Power plant Position

Table 5: Selection of power plant position

| Option |  | $\begin{array}{l}\text { Fuselage } \\ \text { Criteria } \\ \hline \text { Wounted }\end{array}$ | $\begin{array}{l}\text { WOM } \\ (\%)\end{array}$ |
| :--- | :---: | :---: | :---: |
| wing |  |  |  |$]$| Weight | 30 | 7 |
| :---: | :---: | :---: |
| Aerodynamic <br> s | 30 | 8 |
|  <br> Stability | 20 | 8 |
| Manufacturab <br> ility | 20 | 7 |
| Total | 100 | 750 |

### 2.5 Final Selection

Table 6: Final selection of different items

| Item | Selected Option |
| :---: | :---: |
| Wing type | Mono-plane |
| Tail type | H tail |
| Landing gear | Tri-cycle |
| Power plant position | Fuselage mounted |

## 3. PRELIMINARY DESIGN

Preliminary design includes weight estimation and calculation of wing loading and engine thrust. Here, we'll
solve only the weight estimation part. To accomplish this, we divided the mission profile into 20 different segments. For calculating maximum take-off weight, we considered the fuel weight fraction for different segments. For some of the segments, we got the value directly from historical data [1]. For other segments, where bomb drop is not included, we considered Breguet Range equation to find fuel weight ratio for those segment [2]. For the rest of the segments including weight drop, we considered breguet range equation as well as, weight drop related calculation to find the fuel weight ratio for those segments.

### 3.1 Maximum Take-off Weight Estimation



Fig.2: Detailed mission profile for attack fighter aircraft
Assumptions:
$\mathrm{H} 1=42000 \mathrm{ft}$
$\mathrm{H} 2=2000 \mathrm{ft}$
$\mathrm{H} 3=25000 \mathrm{ft}$
$\mathrm{H} 4=2000 \mathrm{ft}$
$\mathrm{H} 5=35000 \mathrm{ft}$
$\mathrm{R} 1=250 \mathrm{~km}=820210 \mathrm{ft}$
$\mathrm{R} 2=100 \mathrm{~km}=328084 \mathrm{ft}$
$\mathrm{r} 1=10 \mathrm{~km}=32808.4 \mathrm{ft}$
$\mathrm{R} 3=90 \mathrm{~km}=295276 \mathrm{ft}$
$\mathrm{R} 4=150 \mathrm{~km}=492126 \mathrm{ft}$
$\mathrm{r} 2=10 \mathrm{~km}=32808.4 \mathrm{ft}$
$\mathrm{R} 5=140 \mathrm{~km}=459318 \mathrm{ft}$
R6 $=100 \mathrm{~km}=328084 \mathrm{ft}$
r3 $3=10 \mathrm{~km}=32808.4 \mathrm{ft}$
$\mathrm{R} 7=90 \mathrm{~km}=295276 \mathrm{ft}$
$\mathrm{R} 8=200 \mathrm{~km}=656168 \mathrm{ft}$
Weight of the crew $=200 \mathrm{lb}$
Here, r1, r2, r3 is the distance the aircraft passed while bomb dropping. Fuel weight fraction in this small range is assumed to have a value of 1 .

Assumption of payload:
Table 7: Assumption of payload

| Payload type | Weight (lb) |
| :---: | :---: |
| Fixed | 9000 |
| Droppable in 1 $^{\text {st }}$ case | 2750 |
| Droppable in 2 $^{\text {nd }}$ case | 500 |
| Droppable in $3^{\text {rd }}$ case | 2750 |
| Total | 15000 |

Calculation of fuel-weight fraction for different segments and maximum take-off weight:
i. For this segment, fuel weight fraction is directly obtained from historical data [1]. So,
$\mathrm{W}_{2} / \mathrm{W}_{1}=0.99$
ii. For this segment, fuel weight fraction is directly obtained from historical data [1]. So,
$\mathrm{W} 3 / \mathrm{W} 2=0.98$
iii. W4/W3 $=\mathrm{e}^{-[(\mathrm{R} \times \mathrm{SFC}) /(0.866 \times \mathrm{L} / \mathrm{D} \times \text { Valt })]}$

Now,
In this case, $\mathrm{R}=\mathrm{R} 1=820210 \mathrm{ft}, \quad \mathrm{SFC}$ is found from historical data [3]. $\quad \mathrm{SFC}=$ 1/3600 lbs/lbs/s
Assume, L/D $=15$ because, the highest mach is quite low and the value of $\mathrm{L} / \mathrm{D}$ is larger for lower values of Mach number.
Here, $\mathrm{H}=\mathrm{H} 1=42000 \mathrm{ft}$,
So,
velocity $\mathrm{a}=\left(\gamma \mathrm{R}^{\prime} \mathrm{T}\right)^{1 / 2}$

$$
=(1.4 \times 287 \times 216.650)=295.04 \mathrm{~m} / \mathrm{s}=
$$

$967.73 \mathrm{ft} / \mathrm{s}$
here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 42000 ft , which is obtained from standard atmospheric temperature \& pressure chart. Now,
$\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No.

$$
=(967.73 \times 0.62) \mathrm{ft} / \mathrm{s}=600 \mathrm{ft} / \mathrm{s}
$$

So, W4/W3= $\mathrm{e}^{-[(820210 \times 1 / 3600) /(0.866 \times 15 \times 600)]}=0.97$
iv. For this segment, fuel weight fraction is directly obtained from historical data [1]. So,
$\mathrm{W} 5 / \mathrm{W} 4=0.99[1]$
v. $\mathrm{W} 6 / \mathrm{W} 5=\mathrm{e}^{-[(\mathrm{R} \times \mathrm{SFC}) /(0.866 \times \mathrm{L} / \mathrm{D} \times \text { Valt })]}$

In this case, $\mathrm{R}=\mathrm{R} 2=328084 \mathrm{ft}, \mathrm{SFC}=1 / 3600$ lbs/lbs/s
L/D = 15 (assume)
Here, $\mathrm{H}=\mathrm{H} 2=2500 \mathrm{ft}$
So,
velocity $\mathrm{a}=\left(\gamma \mathrm{R}^{\prime} \mathrm{T}\right)^{1 / 2}$

$$
=(1.4 \times 287 \times 283.2)=337.33 \mathrm{~m} / \mathrm{s}
$$

$=1106.44 \mathrm{ft} / \mathrm{s}$
here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 2500 ft , which is obtained from standard atmospheric temperature \& pressure chart. Now,
$\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No.

$$
=(1106.44 \times 0.62) \mathrm{ft} / \mathrm{s}=686 \mathrm{ft} / \mathrm{s}
$$

So,
W6/W5 $=\mathrm{e}^{-[(328084 \times 1 / 3600) /(0.866 \times 15 \times 686)]}=0.9898$
vi. In bomb dropping phase, fuel-weight fraction is equal to 1 [4]. So,

W7/W6 = 1
vii. W8/W7 $=\mathrm{e}^{-[(\mathrm{R} \times \mathrm{SFC}) /(0.8666 \mathrm{~L} / \mathrm{D} \times \text { Valt })]}$

In this case, $\mathrm{R}=\mathrm{R} 3=295276 \mathrm{ft}, \mathrm{SFC}=1 / 3600$ lbs/lbs/s
L/D = 15 (assume), Here, $\mathrm{H}=\mathrm{H} 2=2500 \mathrm{ft}$
So,

$$
=1106.44 \mathrm{ft} / \mathrm{s}
$$

here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 2500 ft , which is obtained from standard atmospheric temperature \& pressure chart. Now,
$\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No.

$$
=(1106.44 \times 0.62) \mathrm{ft} / \mathrm{s}=686 \mathrm{ft} / \mathrm{s}
$$

So, W8/W7 $=\mathrm{e}^{-[(295276 \times 1 / 3600) /(0.866 \times 15 \times 600)]}$ $=0.9895$

But, this value should be corrected due to bomb dropping [5].
Now,
Fuel weight fraction up to this part $=0.99 \times 0.98 \times$ $0.97 \times 0.99 \times 0,9898 \times 1=0.9222$
Therefore, just prior to the bomb drop,
weight $=(15000 \times .9222) \mathrm{lb}=13833 \mathrm{lb}$
Immediately after bomb drop,
weight $=(13833-2750) \mathrm{lb}=11083 \mathrm{lb}$
The weight ratio of after \& before bomb drop is $=$ $(11083 / 13833)=0.85$
So, the corrected value of
$\mathrm{W} 8 / \mathrm{W} 7=[1-(1-0.9895) \times 0.85]=0.991$
viii. Fuel weight fraction for this segment was assumed by comparing with the fuel-weight fraction for climb [1]. So,
$\mathrm{W} 9 / \mathrm{W} 8=0.98$
ix. $\mathrm{W} 10 / \mathrm{W} 9=\mathrm{e}^{-[(\mathrm{R} \times \mathrm{SFC}) /(0.866 \times \mathrm{L} / \mathrm{D} \times \text { Valt })]}$

In this case, $\mathrm{R}=\mathrm{R} 4=492126 \mathrm{ft}$,
SFC
is found from historical data [3].
$\mathrm{SFC}=$
1/3600 lbs/lbs/s
L/D = 15 (assume),
Here, $\mathrm{H}=\mathrm{H} 3=25000 \mathrm{ft}$
So,
velocity $\mathrm{a}=\left(\gamma \mathrm{R}^{\prime} \mathrm{T}\right)^{1 / 2}$
$=(1.4 \times 287 \times 238.62)=309.67 \mathrm{~m} / \mathrm{s}=$
$1015.98 \mathrm{ft} / \mathrm{s}$
here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 25000 ft , which is obtained from standard atmospheric temperature \& pressure chart.
Now,
$\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No.

$$
=(1015.98 \times 0.62) \mathrm{ft} / \mathrm{s}=629.91 \mathrm{ft} / \mathrm{s}
$$

$$
\begin{aligned}
& \text { velocity } \mathrm{a}=\left(\gamma \mathrm{R}^{\prime} \mathrm{T}\right)^{1 / 2} \\
& =(1.4 \times 287 \times 283.2)=337.33 \mathrm{~m} / \mathrm{s}
\end{aligned}
$$

So,
$\mathrm{W} 10 / \mathrm{W} 9=\mathrm{e}^{-[(492126 \times 1 / 3600) /(0.866 \times 15 \times 600)]}=0.983$
x. In bomb dropping phase, fuel-weight fraction is equal to 1 [4]. So,
$\mathrm{W} 11 / \mathrm{W} 10=1$
xi. $\quad \mathrm{W} 12 / \mathrm{W} 11=\mathrm{e}^{-[(\mathrm{R} \mathrm{P} \mathrm{SFC)})(0.866 \times L / D} \times$ Valt $\left.)\right]$

In this case, $\mathrm{R}=\mathrm{R} 5=459318 \mathrm{ft}, \mathrm{SFC}=1 / 3600$ $\mathrm{lbs} / \mathrm{lbs} / \mathrm{s}$ [3]
L/D = 15 (assume),
Here, $\mathrm{H}=\mathrm{H} 3=25000 \mathrm{ft}$
And, $\mathrm{a}=\left(\gamma \mathrm{R}^{\prime} \mathrm{T}\right)^{1 / 2}=(1.4 \times 287 \times 238.62)=$ $309.67 \mathrm{~m} / \mathrm{s}=1015.98 \mathrm{ft} / \mathrm{s}$
here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 25000 ft , which is obtained from standard atmospheric temperature \& pressure chart. Now,
$\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No.
$=(1015.98 \times 0.62) \mathrm{ft} / \mathrm{s}=629.91 \mathrm{ft} / \mathrm{s}$
So,
$\mathrm{W} 12 / \mathrm{W} 11=\mathrm{e}^{-[(459318 \times 1 / 3600) /(0.866 \times 15 \times 600)]}$
0.9837

But, this value should be corrected due to bomb dropping [5].
Now,
Fuel weight fraction up to this part
$0.9222 \times .991 \times .98 \times .983 \times 1=0.896$
Therefore, just prior to the bomb drop, $\quad$ weight $=$ [(15000-2750) x .896] lb = 10976 lb
Here, $15000-2750=12250$, is the weight of total payload, after the $1^{\text {st }}$ bomb drop.
Immediately after bomb drop,
weight $=(10976-500) \mathrm{lb}=10476 \mathrm{lb}$
The weight ratio of after \& before bomb drop is $=$ $(10476 / 10976)=0.954$
So, the corrected value of
$\mathrm{W} 12 / \mathrm{W} 11=[1-(1-0.9837) \times 0.954]=0.9844$
xii. Fuel weight fraction for this segment was assumed by comparing with the fuel-weight fraction for descent [1]. So,
$\mathrm{W} 13 / \mathrm{W} 12=0.99$
xiii. W14/W13 $=\mathrm{e}^{-[(\mathrm{R} \mathrm{x} \mathrm{SFC)} /(0.866 \times \mathrm{LD} \times \text { Valt })]}$

In this case, $\mathrm{R}=\mathrm{R} 6=328084 \mathrm{ft}$, $\mathrm{SFC}=1 / 3600$ lbs/lbs/s
L/D = 15 (assume),
Here, $\mathrm{H}=\mathrm{H} 2=2500 \mathrm{ft}$
Now, $\quad a=\left(\gamma R^{\prime} T\right)^{1 / 2}=(1.4 \times 287 \times 283.2)=337.33$
$\mathrm{m} / \mathrm{s}=1106.44 \mathrm{ft} / \mathrm{s}$
here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 2500 ft , which is obtained from
standard atmospheric temperature \& pressure chart. Now,
$\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No.
$=(1106.44 \times 0.62) \mathrm{ft} / \mathrm{s}=686 \mathrm{ft} / \mathrm{s}$
So,
$\mathrm{W} 14 / \mathrm{W} 13=\mathrm{e}^{-[(328084 \times 1 / 3600) /(0.866 \times 15 \times 686)]}=0.9898$
xiv. In bomb dropping phase, fuel-weight fraction is equal to 1 [4]. So,

## W15/W14 = 1

xv. W16/W15 $=\mathrm{e}^{-[(\mathrm{R} \times \mathrm{SFC}) /(0.866 \times \mathrm{LD} \times \text { Valt })]}$

In this case, $\mathrm{R}=\mathrm{R} 7=295276 \mathrm{ft}, \mathrm{SFC}=1 / 3600$ lbs/lbs/s [3]
L/D = 15 (assume),
Here, $\mathrm{H}=\mathrm{H} 2=2500 \mathrm{ft}$
Here, $\quad \mathrm{a}=\left(\gamma \mathrm{R}^{\prime} \mathrm{T}\right)^{1 / 2}=(1.4 \times 287 \times 283.2)=$
$337.33 \mathrm{~m} / \mathrm{s}=1106.44 \mathrm{ft} / \mathrm{s}$
here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 2500 ft , which is obtained from standard atmospheric temperature \& pressure chart. Now,
$\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No.
$=(1106.44 \times 0.62) \mathrm{ft} / \mathrm{s}=686 \mathrm{ft} / \mathrm{s}$
So, W16/W15 $=\mathrm{e}^{-[(295276 \times 1 / 3600) /(0.866 \times 15 \times 600)]}=$ 0.9895

But, this value should be corrected due to bomb dropping [5].
Now,
Fuel weight fraction up to this part $=0.896 \times 0.9844$ x 0.99 x $0.9898 \times 1=0.864$
Therefore, just prior to the bomb drop, weight $=((15000-2750-500) \times .864) \mathrm{lb}=10152 \mathrm{lb}$ Here, $(15000-2750-500) \mathrm{lb}=11750 \mathrm{lb}$ is the weight of payload after the $1^{\text {st }} \& 2^{\text {nd }}$ bomb drop.
Immediately after bomb drop,
weight $=(10152-2750) \mathrm{lb}=7402 \mathrm{lb}$
The weight ratio of after $\&$ before bomb drop is $=$ $(7402 / 10152)=0.73$
So, the corrected value of
$\mathrm{W} 8 / \mathrm{W} 7=[1-(1-0.9895) \times 0.73]=0.992$
xvi. Fuel weight fraction for this segment was assumed by comparing with the fuel-weight fraction for climb [1]. So,
$\mathrm{W} 17 / \mathrm{W} 16=0.98$
xvii. W18/W17 $=\mathrm{e}^{-[(\mathrm{R} \times \mathrm{SFC}) /(0.866 \times \mathrm{L} / \mathrm{D} \times \text { Valt })]}$

Now,
In this case, $\mathrm{R}=\mathrm{R} 8=656168 \mathrm{ft}, \mathrm{SFC}=1 / 3600$
lbs/lbs/s [3],
$\mathrm{L} / \mathrm{D}=15$; Here, $\mathrm{H}=\mathrm{H} 5=35000 \mathrm{ft}$,
Here, $\quad a=\left(\gamma R^{\prime} T\right)^{1 / 2}=(1.4 \times 287 \times 218.810)$ $=296.51 \mathrm{~m} / \mathrm{s}=972.55 \mathrm{ft} / \mathrm{s}$
here, $\gamma \& \mathrm{R}^{\prime}$ are fixed reference value. T is the temperature at 35000 ft , which is obtained from standard atmospheric temp. \& pressure chart.
Now, $\mathrm{V}_{\text {alt }}=\mathrm{ax}$ Mach No. $=(972.55 \times 0.62) \mathrm{ft} / \mathrm{s}=$ $603 \mathrm{ft} / \mathrm{s}$

So, W18/W17=e $-[(656168 \times 1 / 3600) /(0.866 \times 15 \times 603)]=0.977$
xviii. Fuel weight fraction for this segment was obtained from historical data [1]. So,

```
W19/W18 = 0.99
```

xix. Fuel weight fraction for this segment was obtained from historical data [1]. So,

$$
\text { W20/W19 = } 0.995
$$

So, total fuel-weight fraction

```
W20/W1 =
[ (W/W/W ) X (W3/W2) X (W4/W3) X (W5/W4) X
(W6/W5) X (W7/W6) X (W8/W7) X (W9/W8) X
(W10/W9) X (W11/W10) X (W12/W11) X
(W13/W12) X (W14/W13) X (W15/W14) X
(W16/W15) X (W17/W16) X (W18/W17) X
(W19/W18) X (W20/W19)]
    = 0.8084
```

xx. Again, Maximum take-off weight can be estimated using the following equation [6]:

Wto=(Wcrew+Wpayload) / [1-(Wf/Wto)(We/Wto) ]

Now, Wf/Wto $=1.05[1-\mathrm{W} 20 / \mathrm{W} 1]=0.2012$
From eqn (2),
Wto $=15200 /(1-.2012-W e / W t o)$
Or, Wto = 15200/(0.7988-We/Wto)
Or, 0.7988 Wto-We=15200
So, We $=0.7988$ Wto- 15200
xxi. Again, we used another equation containing empty weight to total weight ratio [7].
$\mathrm{We} / \mathrm{Wto}=\mathrm{AWto}{ }^{\mathrm{C}} \mathrm{K}$
Here, for this purpose, $\mathrm{A}=2.34, \mathrm{C}=-0.13, \mathrm{~K}=1$ assuming fixed sweep aircraft [7].

So, We/Wto $=2.34 \mathrm{Wto}^{-0.13}$
Putting value from eqn (3),
(0.7988Wto -15200$) /$ Wto $=2.34 \mathrm{Wto}^{-0.13}$

Or, $0.7988 \mathrm{Wto}-15200=\left(2.34 \mathrm{Wto}^{-0.13} \mathrm{X}\right.$ Wto $)$
Or, 0.7988 Wto $-15200=2.34 \mathrm{Wto}^{(-0.13+1)}$
Or, 0.7988 Wto $-15200=2.34$ Wto $^{0.87}$
Or, 2.34 Wto $^{0.87}-0.7988$ Wto $+15200=0$
We can find Wto by solving eq ${ }^{\text {n }}$ (4) .
This eq ${ }^{\mathrm{n}}$ can be solved by putting different values of

Wto ; and find a value of Wto, for which the L.H.S of eq ${ }^{\mathrm{n}}$ iii becomes zero.

Table 8: Iteration to find Wto

| Wto = (lb) | L.H.S of eq ${ }^{\text {n }}$ iii |
| :---: | :---: |
| 43000 | 5989.76 |
| 45000 | 5406.35 |
| 50000 | 3922.88 |
| 55000 | 2406.92 |
| 60000 | 861.802 |
| 65000 | -709.73 |
| So, value of Wto lies in between 60000 \& 65000 (according to bi-section method) |  |
| 62000 | 236.22 |
| 63000 | -78.103 |
| So, value of Wto lies in between 62000 \& 63000 (according to bi-section method) |  |
| 62500 | 79.19 |
| So, value of Wto lies in between 62500 \& 63000 (according to bi-section method) |  |
| 62700 | 16.3 |
| So, value of Wto lies in between 62700 \& 63000 (according to bi-section method) |  |
| 62750 | 0.57 |
| So, value of Wto lies in between 62750 \& 63000 (according to bi-section method) |  |
| 62760 | -2.57 |
| So, value of Wto lies in between 62750 \& 62760 (according to bi-section method) |  |
| 62752 | -0.05. |
| So, value of Wto lies in between 62750 \& 62752 (according to bi-section method) |  |
| 62751.5 | 0.101 |
| So, value of Wto lies in between 62751.5 \& 62752 (according to bi-section method) |  |
| 62751.8 | 0.0062045 |
| So, value of Wto lies in between 62751.8 \& 62752 (according to bi-section method) |  |
| 62751.81 | 0.00306 |
| So, value of Wto lies in between 62751.81 \& 62752 (according to bi-section method) |  |
| 62751.815 | 0.00015 |
| So, value of Wto lies in between 62751.815 \& 62752 (according to bi-section method) |  |
| 62751.8195 | $0.00007 \approx 0=$ R.H.S |
| So, Wto = 62751.8195 |  |

So, Maximum Take-off weight is 62751.8195 lb .

## 4. CONCLUSION

Considering the given requirements the attack fighter aircraft will be a monoplane, $H$ tail aircraft having a tri-cycle landing gear. The powerplant will be fuselage mounted. Maximum takeoff weight for the aircraft including bomb drop is 62751.8195 lb .

## 5. REFERENCES

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## 6. NOMENCLATURE

| Symbol | Meaning | Unit |
| :---: | :--- | :--- |
| $T$ | Temperature | (K) |
| $P$ | Pressure | (Pa) |
| $R$ | Range | (Feet) |
| SFC | Specific fuel | (lbs/lbs/s) |
| consumption | Lift to drag ratio | Dimensio <br> nless |
| $R^{\prime}$ | Gas constant | (J/Kg K) |
| $\gamma$ | Specific heat ratio | Dimensio <br> nless |
| Wto | Maximum take-off <br> weight | (lbs) |
| We | Empty weight | (lbs) |
| Wf | Fuel weight | (lbs) |
|  |  |  |

